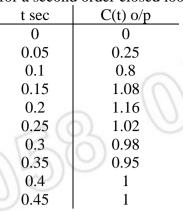


A unit step input response data for a second order closed loop system is given below:-



i) Plot this data on graph paper and find time response specification  $t_d, t_p, t_r, M_p$  and  $t_s$ .

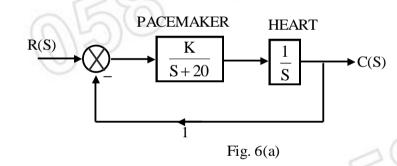
ii) Obtain O/L and C/L transfer function.

b)

6.

## OR

- a) The block diagram of an electronic pacemaker for controlling the rate of heart beats is shown in 'Fig. 6 (a)'. Assuming unity feedback and k = 400, Calculate
  - i) The output c (t) for unit step input.
  - ii) Steady-state error for unit ramp input.
  - iii) Determine k if the error to a ramp input is 0.02.



- b) What is meant by PD control? State the effect of PD controller on system performance.
- 7. a) Sketch the root locus for a unity feedback system with open loop translate function.

$$G(s) = \frac{\kappa}{s(s+2)(s^2+2s+2)}$$

b) For the system with characteristic Equation  $s^3 + 5s^2 + 6s + 30 = 0$ . comment on the stability.

## OR

Plot the root locus for a unity feedback closed loop system whose open loop transfer function is  $G(s) = \frac{k}{s(s+3+j2)(s+3-j2)}$ .

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a)

P.T.O

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A unity feedback control system has open loop transfer function given by

$$G(s) = \frac{Ke^{-1}d^s}{s(s^2 + 5s + 9)}$$
. Determine the range of K for stability when  $T_d = 0$ .

The specification on a second order unity feedback control system with the closed-loop a) transfer function.

 $\frac{C(S)}{R(S)} = \frac{w_n^2}{S^2 + 2SWnS + w_n^2}$  are that the overshoot of the step response should not exceed

12 % and the peak time must be less than 0.25. Find the corresponding frequency. response value of peak resonance, resonant frequency and Bandwidth.

b) Sketch the polar plot for the system with open loop transfer function

$$G(s)H(s) = \frac{1}{(s+4)(s+2)}.$$

b)

11.

## OR

ii)

Construct the bode plots for a unity feedback control system having. From 2000 -. The Bode plot determine-G(s) =

$$s(s+1)(s+100)$$

- i) Gain crossover frequency.
- Phase crossover frequency. Phase margin.

7

6

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7

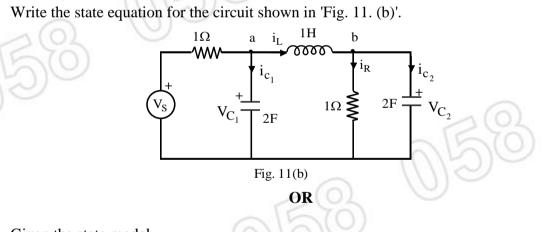
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- iii) Gain margin. iv) Comment on the stability of the system. v)
- Obtain the state model for the given transfer function. a)  $G(s) = \frac{Y(s)}{s} = -- K[c_{2}s + c_{1}]$

$$U(s) = U(s) = S^3 + a_3s^2 + a_2s + a_1$$

b)



12. Given the state model. a)  $\begin{bmatrix} 1 & 2 \end{bmatrix}_{\mathbf{v}} \begin{bmatrix} 1 \end{bmatrix}_{\mathbf{U}}$ 

$$x \begin{bmatrix} 3 & 4 \end{bmatrix}^{X} \begin{bmatrix} 1 \end{bmatrix}^{U}$$

$$y = \begin{bmatrix} 1 & 0 \\ 0 & 2 \end{bmatrix} x + \begin{bmatrix} 1 \\ 0 \end{bmatrix} U.$$

Determine the transfer function.

Determine the state model of the system characterized by the differential equation.  $(s^4 + 2s^3 + 8s^2 + 4s + 3) y(s) = 10 U(s).$ 

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\*\*\*\*

Use phase variable method.

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b)